DEPARTMENT OF MATHEMATICS TECHNICAL REPORT

A GRADUA

A Graduate Student's Guide to $\[Mathbb{LATEX}\]$ and $\[Mathbb{AMS-LATEX}\]$

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Abstract

In this article we will show the basic usage o $\stackrel{A}{\longrightarrow}$ in writing athe atical a ers e will concentrate on escribing arious arts o a stan ar source ocu ent o twe article ro its rea ble through sections with athe atical contents to re erences sage o se eral stan ar co an s ro $\stackrel{A}{\longrightarrow} AMS \stackrel{A}{\longrightarrow}$ an **amsmath amsthm** an **amssymb** ac ages will be iscusse e will also brie w iscuss the usage o ttuthesis.sty style le or co osing aster theses an octoral issertations that con or to the re uire ents o the ra uate chool¹

Keywords: ource le co osing or tre esetting is laring or ulas auto atic re erencing $\stackrel{A}{\longrightarrow} \stackrel{A}{\longrightarrow} \varepsilon$

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\cline{\cline{1}} documentclass{article}
%%% Here starts the preamble of the document
%%% Formatting commands, if needed
\operatorname{setlength} \{-0.25in\}
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\mathsurround 1.5pt
%%% Commands to load extra packages, if needed
\usepackage{amsmath}
\usepackage{amssymb}
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%%% Custom definitions and macros
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\newtheorem{lemma}{Lemma}
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\operatorname{author}\{\ldots\}
date{...}
\maketitle
\tableofcontents
%%% Here starts the abstract
\begin{abstract}
. . .
\end{abstract}
%%% Here starts the main matter of the document body
\det\{\ldots\}
section{...}
subsection{...}
\ x{\ldots}
. . .
%%% Here starts the back matter of the document body
\begin{thebibliography}{9}
\end{thebibliography}
\end{document}
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2 **Proclamations**

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2.1 Basic LATEX proclamations

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ic i s

Theorem 2 (Pierce's Theorem). In category **Set**, the monomorphisms are just the injective functions (the functions f such that f x, f y implies x, y,

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implies that g h
\label epi
\en e.initi n
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Definition 1. An arrow $f A \rightarrow B$ is an **epimorphism** if, for any pair of arrows $g B \rightarrow C$ and $h B \rightarrow C$, the equality $g \circ f$, $h \circ f$ implies that g, h.

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 $\textit{Proof.} T \text{ is is a proo_{\varsigma}t at is } n \quad \begin{subarray}{c} t & stan \ ar & \ldots & s_{r} \ m_{\bullet} \ ol. \end{subarray}$

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3.2 Itemizing and numbering

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il a omain or f is -, f. c T t ir it m no ill ispla, an n m r

$$\begin{array}{c} f x \\ \uparrow \end{array}, \quad \sin 2x - \uparrow \end{array}$$

$$a \int_{\pi^0}^{\pi} \sin x \, dx, \quad 2, \quad |-f x|$$

$$c \int_{0}^{\infty} \sin x \, dx, \quad 2, \quad |-f x|$$

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\label e ∖en e uati n

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4.2 Example of align environment

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4.6 Example of a more complicated table with tabular

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		1		1	4.	1 . · ·	. · · · ·	1	4		· · · · ·
						· · · ·					
		Lunch									
		Coffee Social									
	General meeting and closing										



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 \begin{small}

 $\begin{tabular}{|r|r|c c|c c|c c|c c|c c|} \ \%12 \ columns$

 $\label{eq:multicolumn} $$ \mathbb{12}{c}{\mathbb{S}turday, May 25}} \\$

From: & To: & Room: & Event: & Room: & Event: & Room: & Event: & Room: & Event: \\\hline

8:15 & 8:30 & BR119 & $multicolumn{9}{c|}{ \bf{Announcements}} \$

9:30 & 9:40 & $multicolumn{10}{c|}{e6(An63845)Tj | mp}$

\begin align			
# \til e ~	$\sum_{i=1}^{n}$	\label e	11
		\label e	11
\til e ~		\label e	
\en align			

 $\begin{array}{cccc} X & X^{\bullet} & 1, \\ & X^{2} & X, \\ & XX^{\bullet} & \bullet \\ \end{array}$



4.8 Example of splitting long expressions with multline and split

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\begin multline
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4.9 Example of gather and gather*

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\en gather*

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$$\begin{array}{c} q \ b_{1} \\ q \ b_{1} \\ h \end{array}, \quad \frac{q-1}{q} \begin{array}{c} 1 \\ \hline q \end{array}, \quad \frac{b_{1}}{q} \\ \hline p_{1} \\ \hline p_{2} \\ \hline p_{1} \\ \hline p_{2} \\ \hline p_{2} \\ \hline p_{1} \\ \hline p_{2} \hline p_{2} \hline p_{2} \hline p_{2} \\ \hline p_{2} \hline p_{$$

T r mainin ampls com rom lst at cam it $T_EX 2$.

q

5 Additional examples

5.1 Braces and over braces

$$\begin{array}{c}
 k a's & l b's \\
 a, \dots, a, b, \dots, b \\
 \overline{k+l \text{ elements}}
\end{array}$$

5.2 **Products and sums**

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\pr /\ge \biggl \sum \ge a /* \biggrl
\sum n\ge n\ \iggl \sum
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\.ra b #)l \n tag \\
\phant m \hspa e* ex #' b #' b \label e \\ ex
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References

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2	lamo ic cations	 <i>Spinorepresentations</i> (11) <i>pp.</i> 1 	Cli or algebras: A symbolic appry	Mach - S	sics omm ni
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6.2 Index

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7 Summary

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